$\qquad$ Class: $\qquad$

1. Write the repeated addition statement as multiplication.

Remember
GROUPS of a SIZE
$(+5)+(+5)+(+5)+(+5)=(+4)(+5)$
Write the multiplication statement as repeated addition.
GROUPS of a SIZE
$\underset{(+7)(-6)}{\downarrow}=(-6)+(-6)+(-6)+(-6)+(-6)+-6)+(-6)$
1.1 Write the repeated addition statement as multiplication.
$(-2)+(-2)+(-2)+(-2)+(-2)=$ $\qquad$
1.2 Write the multiplication statement as repeated addition.
$(+6)(-4)=$ $\qquad$

| 2. Modelling using counters <br> Solid/YELLOW - positive <br> Clear/RED -negative | Modelling using counters <br> Solid/YELLOW - positive <br> Clear/RED -negative |
| :---: | :---: |
| In words: <br> three groups of negative 2 <br> Symbolically: <br> PUT IN <br> $\downarrow$ |  |
| In words: |  |
| three groups of positive 2 |  |


| 2.3 | 2.4 |
| :---: | :---: |
| Model using counters ( -3 )(+2) use ZERO PAIRS Step 1 | REMOVE <br> Model using counters (-2)(-4) use ZERO PAIRS Step 1 |
| Step 2 | Step 2 |
| Answer | Answer |


| 3.1 Multiplying an EVEN number of <br> negatives gives a (positive or negative) <br> answer. | 3.2 Multiplying an ODD number of negatives <br> gives a (positive or negative) answer. |
| :---: | :--- |


| 4. MULT and DIVISION only |  | $(+3)(+6)=(+18)$ |
| :---: | :---: | :---: |
|  |  | $\frac{(+28)}{(+7)}=(+4)$ |
| SAME signs$\begin{array}{ll} (+)(+)=(+) & \frac{(+)}{(+)}=(+) \\ (-)(-)=(+) & \frac{(-)}{(-)}=(+) \end{array}$ |  | $(-5)(-6)=(+30)$ |
|  |  | $\frac{(+32)}{(+8)}=(+4)$ |
|  |  | Examples |
|  |  | $4.1 \quad(+5)(+9)=(\square)$ |
|  |  | $4.2 \quad \frac{(+30)}{(+5)}=$ |
|  |  | 4.3 (-7) $(-3)=$ |
|  |  | $4.4 \quad \frac{(+56)}{(+8)}=$ |

## 5. MULT and DIVISION only

$$
(+3)(-7)=(-21)
$$

DIFFERENCE signs

$$
\frac{(+50)}{(-10)}=(-5)
$$

$$
\begin{array}{ll}
(+)(-)=(-) & \frac{(+)}{(-)}=(-) \\
(-)(+)=(-) & \frac{(-)}{(+)}=(-)
\end{array}
$$

$$
(+5)(-6)=(-30)
$$

$$
\frac{(+20)}{(-2)}=(-10)
$$

Examples

| 5.1 | $(+14)(-2)=($ |
| :---: | :---: |
| 5.2 | $\frac{(-30)}{(+5)}=$ |
| 5.3 | $(-8)(+3)=$ |
|  | $\frac{(+44)}{(-11)}=$ |

6. The product of two numbers is 24 . The sum is -11 . What are the integers?
$(-3)+(-8)=(-11)$
$(-3)(-8)=(+24)$
```
1 x 24
    (+)(+)
2 x 12
3x8
    4\times6
```

6.1 The product of two numbers is $\mathbf{- 3 0}$. The sum is -1. What are the integers?
6.2 The product of two numbers is $\mathbf{+ 2 0}$. The sum is +9 . What are the integers?

| 7. Multiplication on numberline $($ facing GROUPS $)(\mathrm{f} / \mathrm{b}$ SIZE $)=$ product $(-4) \underset{\text { SIZE }}{(-6)}=(+24)$ <br> Backwards 4 steps/GROUPS | Example: <br> $($ facing GROUPS $)(\mathrm{f} / \mathrm{b}$ SIZE) $=$ product $(+6)(-4)=(-24)$ <br> Backwards 6 steps/GROUPS |
| :---: | :---: |
| $($ facing GROUPS)(f/b SIZE) $=$ product $(+6)(+4)=(+24)$ <br> SIZE <br> forwards 6 steps/GROUPS | $($ facing GROUPS) $(\mathrm{f} / \mathrm{b}$ SIZE) $)=$ product $(-6)(+4)=(-24)$ <br> size <br> forwards 6 steps/GROUPS |
| Model the multiplication using a numberline. | 7.2 |
| $7.1 \quad(+4)(+5)=(+20)$ | $(-5)(+7)=(-35)$ |
| 7.3 (-3)(-6) $=(-18)$ | $7.4 \quad(+2)(-6)=(-12)$ |
|  |  |

8. Division on numberline

Dividend $\div(\mathrm{f} / \mathrm{b}$ SIZE $)=($ facing STEP $)$


Positive 4 steps backwards

Division on numberline
Dividend $\div(\mathrm{f} / \mathrm{b}$ SIZE $)=($ facing STEP $)$

Positive 4 steps backwards

8.1 Show $(+28) \div(+7)=(+4)$ using a numberline
8.2 Show $(-45) \div(+5)=(+9)$ using a numberline



```
9. Properties
ZERO PROPERTY
8\times0=0
0x(-8)=0
MULTIPLICATIVE IDENTITY
8\times1=8
1\times(-8)=(-8)
COMMUTATIVE PROPERTY (ORDER)
6x (-7) = (-7) x 6
6+7=7+6
ASSOCIATIVE PROPERTY (GROUPING)
(2+3)+4=2+(3+4)
(2 x 3)x 4 = 2 x (3 x 4)
```


## DISTRIBUTIVE PROPERTY

```
\[
2(3+4)=2 \times 3+2 \times 4
\]
Multiplier
\[
2(3-4)=2 \times 3-2 \times 4
\]
```

```
Multiplier
```

```
Multiplier
```


### 9.1 Identify the property

| 1.1 | $1 \times(-15)=(-15)$ |
| :---: | :---: |
| 1.2 | $(-9)(+4)=(-36)$ |
| 1.3 | $8 \times[(+3) \times(+2)]=[8 \times(+3)] \times(+2)$ |
| 1.4 | $(-9) \times 0=0$ |
| 7.5 | $(-5)[4+(-3)]=(-5)(+4)+(-5)(-3)$ |

10. Using Area model, find $(-36) \times(+53)$


Using Area model, find (-27) $x(-79)$


$$
\begin{aligned}
\text { SUM } & =(+1400)+(+180)+(+490)+(+63) \\
& =+2133
\end{aligned}
$$

| 10.1 Using Area model, find (+41) $x(39)$. | 10.2 Using Area model, find $(-24) x(-72)$. |
| :--- | :--- |

## 11. BEDMAS <br> L $\varlimsup_{\mathrm{L}} \rightarrow_{\mathrm{R}}$

Which operation do you do first?

| Equation | Operation <br> DO NOT <br> EVALUATE! |
| :---: | :--- |
| $(+9)(-4)+(-12) \div(+3)$ |  |
| $5-12+(-8)$ |  |
| $\frac{(-28)(-1)^{2}}{(-26) \div(+2)}$ |  |
| $(-2)+[(+3)+6 \div(-2)]-15$ |  |

Solving using BEDMAS
$L \rightarrow R L \rightarrow R$

| 11.1 $-4+2[8-12]$ <br> $=$  <br> $=$  <br> $=$  <br> $=$  <br> $\begin{array}{ll}11.2 & -3 \cdot(+8)-10 \\ =\end{array}$  |
| :--- | :--- |


| 11.3 | $\frac{-6+(+9)}{-3(+7-8)}$ | 11.4 $-64 \div 4 \div(-2)$ <br> $=$ $=$ <br> $=$  <br> $=$  <br> $=$  <br> 11.5 $-2 \times 5+6 \times 7$ <br>   |
| :--- | :--- | :--- |



### 12.4 Fred deposited $\$ 20$ for 9 week. How much money has he deposited? <br> 12.5 A submarine dives 24 m in 12 seconds. Write the equation which shows this.

12.6George drove from Deer Lake to St. John's at an average speed of $100 \mathrm{~km} / \mathrm{h}$. After 4 hours of driving Blaine was still 250 km away from St. John's. Using an equation involving TWO OPERATIONS, how far apart are Deer Lake and St. John's from one another?

